

## Kepler's Laws

- Use the planet Uranus to calculate Kepler's constant for bodies that orbit the Sun.  $(3.38 \times 10^{18} \text{ m}^3/\text{s}^2)$
- What would be the period of a planet that orbits the Sun in an orbit of radius  $3.20 \times 10^{14} \text{ m}$ ? How many Earth years would this be?  $(3.11 \times 10^{12} \text{ s}, 9.85 \times 10^4 \text{ y})$
- Calculate the radius of orbit of a planet orbiting the Sun if it has a period of  $1.13 \times 10^5 \text{ s}$ .  $(3.50 \times 10^9 \text{ m})$
- Calculate the speed of the planets mentioned in Problems 2 and 3.  $(646 \frac{\text{m}}{\text{s}}, 1.93 \times 10^5 \frac{\text{m}}{\text{s}})$
- Tethys is one of the moons of the planet Saturn. Using this moon, calculate Kepler's constant for bodies that orbit Saturn.  $(9.56 \times 10^{14} \text{ m}^3/\text{s}^2)$
- Using the constant determined in problem # 5, find the speed of a satellite that orbits Saturn at an altitude of 600 kilometres.  $(2.48 \times 10^4 \frac{\text{m}}{\text{s}})$
- For a satellite which orbits Mars with a period of  $1.70 \times 10^5 \text{ s}$  find
  - the orbital radius.  $(3.14 \times 10^7 \text{ m})$
  - its centripetal acceleration.  $(4.29 \times 10^{-2} \frac{\text{m}}{\text{s}^2})$
- Calculate Kepler's constant for the planet Neptune by using the data for its moon, Nereid.  $(1.76 \times 10^{14} \text{ m}^3/\text{s}^2)$
- A satellite orbits Mars in 3.00 hours. Find
  - its orbital radius.  $(5.00 \times 10^6 \text{ m})$
  - its speed.  $(2.91 \times 10^3 \frac{\text{m}}{\text{s}})$
- Calculate the value for Kepler's constant for the moon in orbit around the Earth.  $(1.00 \times 10^{13} \text{ m}^3/\text{s}^2)$
  - A T.V. satellite is in orbit around the Earth at an altitude of 900 km. Find the period of this satellite in seconds.  $(6.21 \times 10^3 \text{ s})$
- How long will it take a satellite to orbit Earth if it is at an altitude of  $4.0 \times 10^4 \text{ km}$ ?  $(9.99 \times 10^4 \text{ s})$
- A satellite around the Sun has an orbital radius of  $1.3 \times 10^{11} \text{ m}$ . Find
  - the satellite's period,  $(2.56 \times 10^7 \text{ s})$
  - the circumference of its orbit in metres,  $(8.16 \times 10^{11} \text{ m})$
  - the average speed of the satellite.  $(3.19 \times 10^4 \frac{\text{m}}{\text{s}})$
- The radius of the moon is  $1.74 \times 10^6 \text{ m}$ . During the 1972 Apollo 16 moon flight, the Command Module manoeuvred into a nearly circular orbit 100 km above the lunar surface. The period of this spacecraft was measured to be 2.0 hours. During one of its orbits the Command Ship launched a small satellite into a circular orbit 1900 km above the lunar surface.
  - What was the period of this small satellite?  $(2.00 \times 10^4 \text{ s})$
  - What was the speed of the small satellite?  $(1.14 \times 10^3 \frac{\text{m}}{\text{s}})$
- A telecommunications satellite is in geostationary orbit around Earth (a period of 24 h). Find
  - the average radius of its orbit.  $(4.21 \times 10^7 \text{ m})$
  - its altitude above Earth's surface,  $(3.57 \times 10^7 \text{ m})$
  - its average orbital speed.  $(3.06 \times 10^3 \frac{\text{m}}{\text{s}})$
- Calculate the speed with which Pluto orbits the Sun in km/h.  $(1.83 \times 10^4 \text{ km/h})$